

WP2: Fine-scale rainfall data acquisition and prediction

Range super-resolution at the UK Met Office

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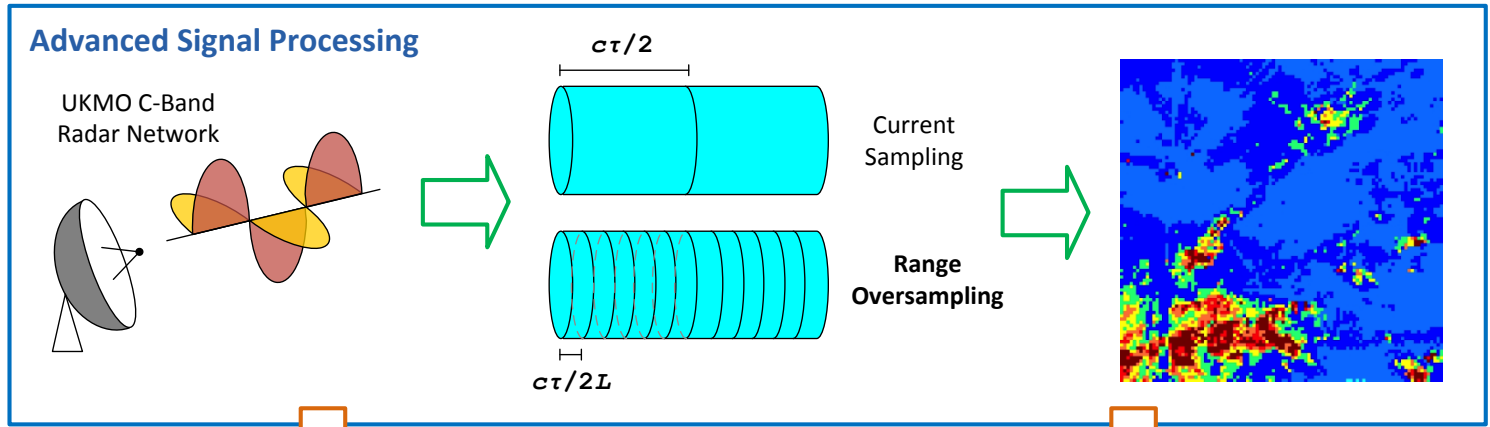


Contents

- Introduction
- Radar range resolution and oversampling
- Whitening transformation
 - concept
 - techniques
- Preliminary results
- Follow-up Works

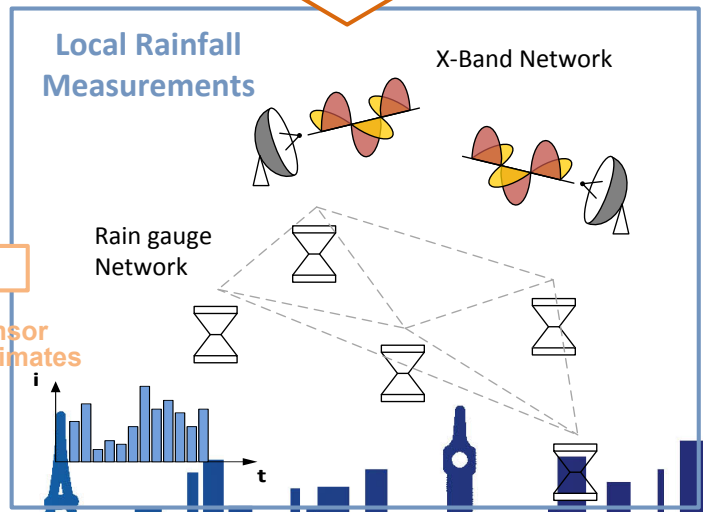
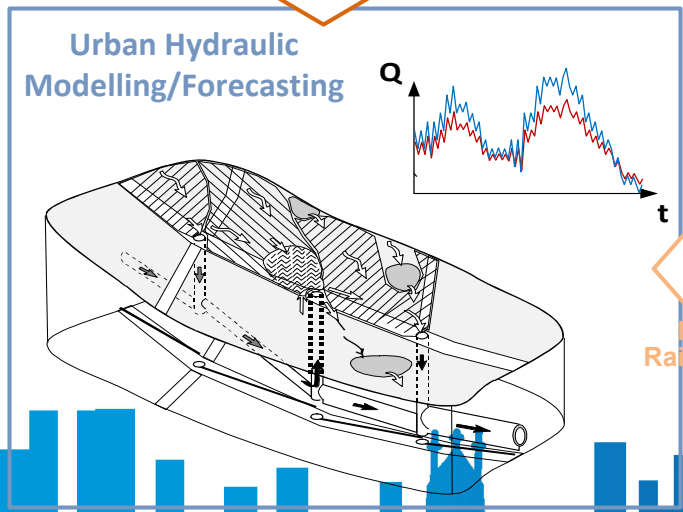


Advanced signal processing to improve the resolution of C-band radar measurements



High-resolution Radar estimates

High-resolution Radar estimates



Multi-sensor Rainfall estimates



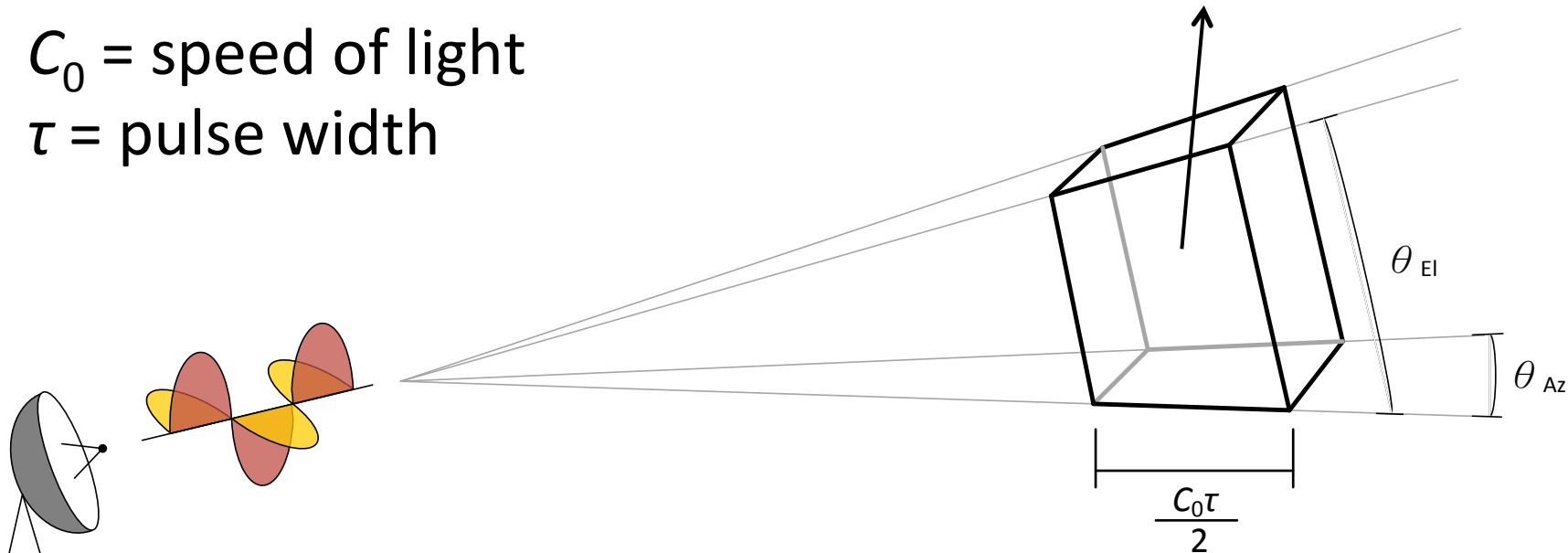
Range Resolution

$$S_r = \frac{C_0 \tau}{2} \text{ [m]}$$

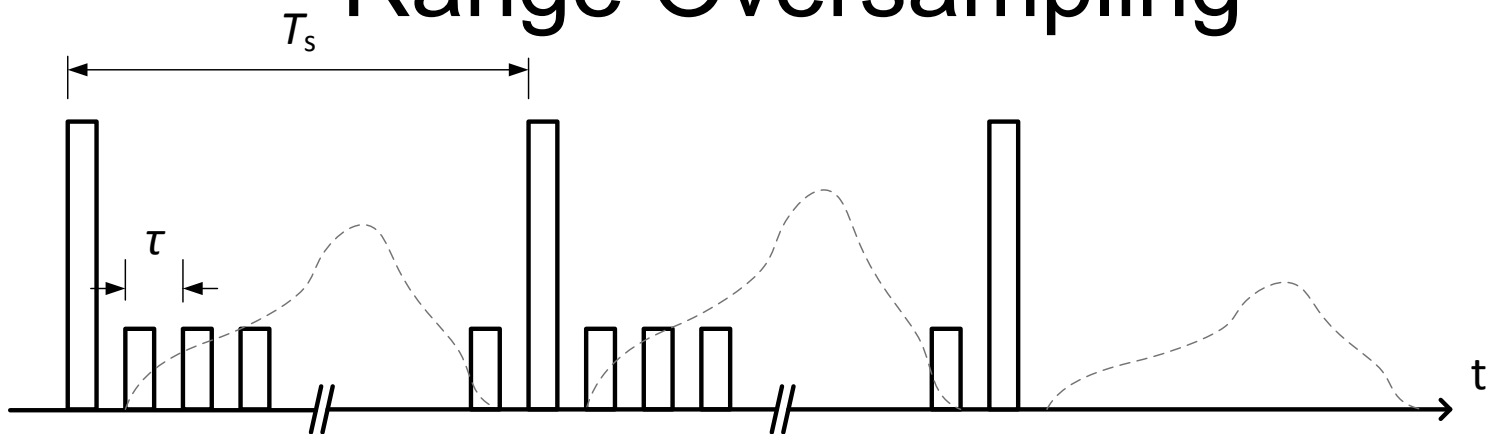
C_0 = speed of light
 τ = pulse width

Resolution Cell Volume:

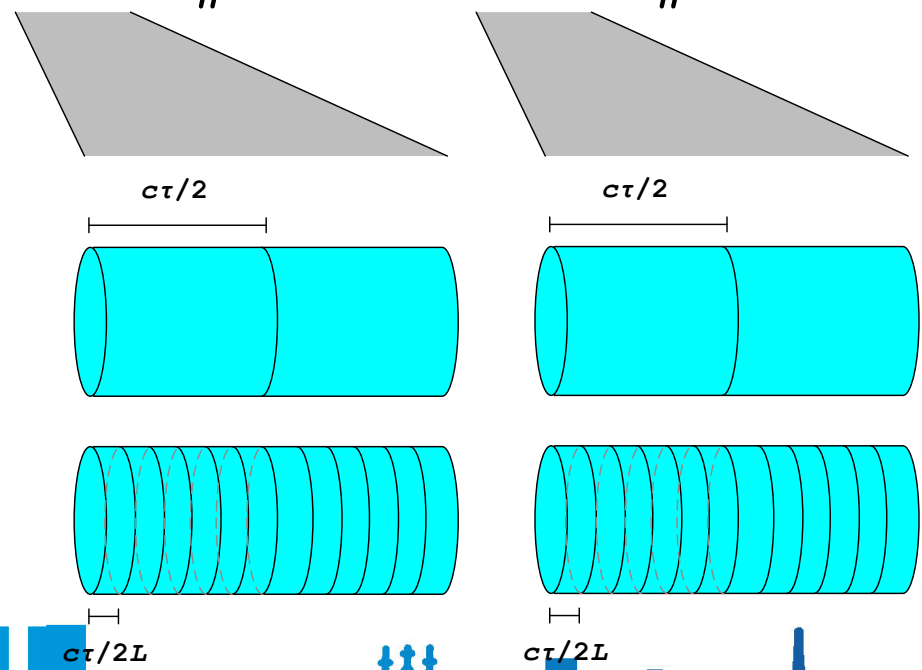
two separate objects that lie within the same resolution cell cannot be distinguished by radar



Range Oversampling



T_s : Pulse Repetition Time, PRT
 τ : Pulse duration
 L : Oversampling factor



Pulse duration:
 $\tau \rightarrow \tau/L$
 Range resolution:
 $c\tau/2 \rightarrow c\tau/2L$



Range Oversampling Techniques

- **Whitening transformation**
 - Produce more independent samples to compensate for effects of angular windowing
 - reduce variance again
- **De-convolutional processing**
 - Could give improved range and azimuth processing , in one.
 - Highly sensitive to noise – research required

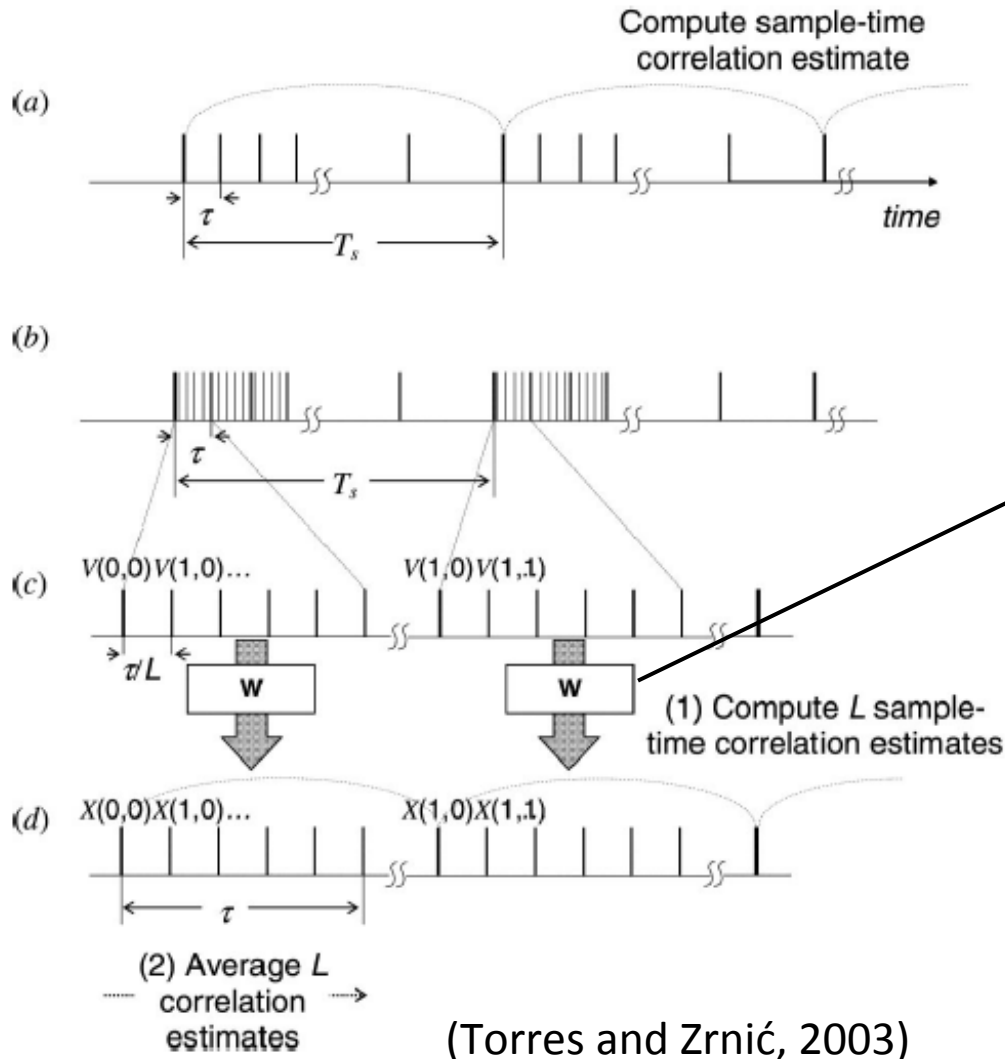


Whitening Transformation

- De-correlates oversampled received signals and therefore improves the estimation of spectral moments and polarimetric variables
- Has been implemented on the National Weather Radar Testbed in the United States
- Has proven to be computationally efficient for real-time operation
- Has been tested on CASA X-band radar and verified to be able to improve the estimation of polarimetric variables.



Whitening Transformation



(Torres and Zrnić, 2003)

1. Construct correlation matrix

$$\mathbf{C}_V$$

2. Compute Whitening matrix by decomposition techniques

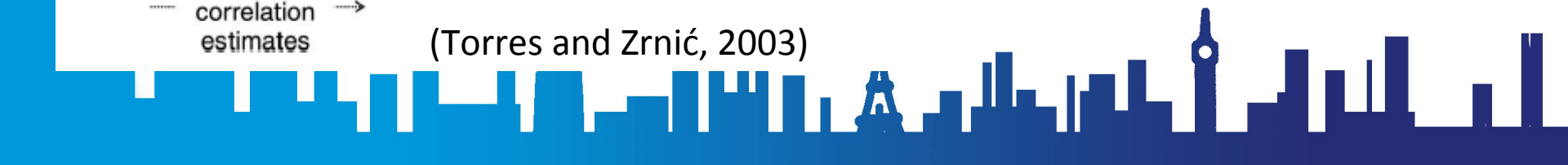
$$\mathbf{C}_V = \mathbf{H}^* \mathbf{H}^T$$

$$\mathbf{W} = \mathbf{H}^{-1}$$

3. Whiten oversampled signals

$$\mathbf{X}_n = \mathbf{W} \mathbf{V}_n$$

4. Estimate spectral moments



Decomposition

- Cholesky Decomposition (WTB)

$$\mathbf{W} = \mathbf{H}^{-1}$$

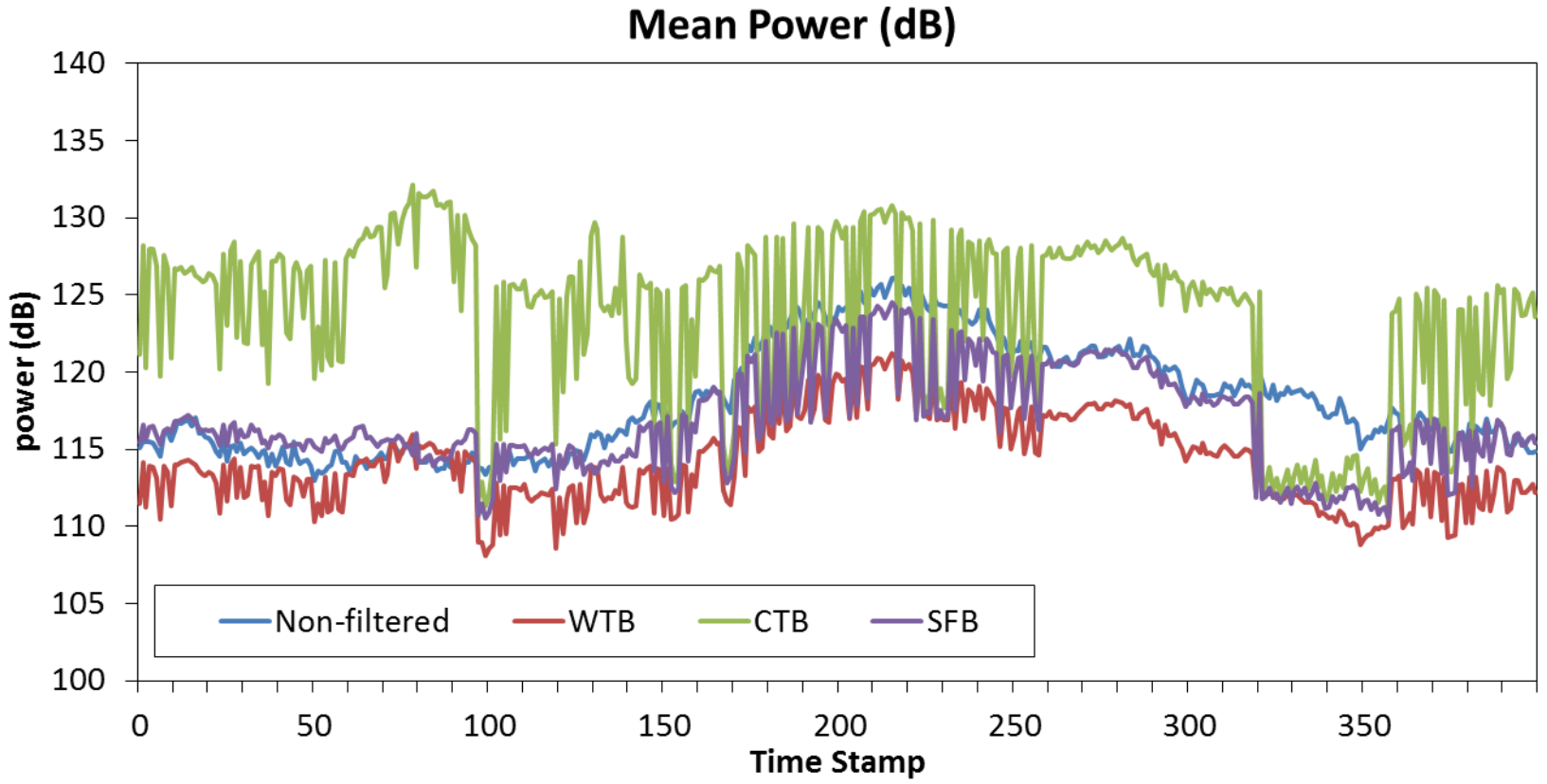
- Singular Value Decomposition

$$\mathbf{W} = \mathbf{V}\mathbf{Q}\mathbf{\Sigma}^+\mathbf{P}^*\mathbf{T}$$

- Truncated Singular Value Decomposition (TSVD)
- Clipped Singular Value Decomposition (CSVD)
- Sharpening Filter (SFB)
- Optimal Whitening Transformation (Under implementation)

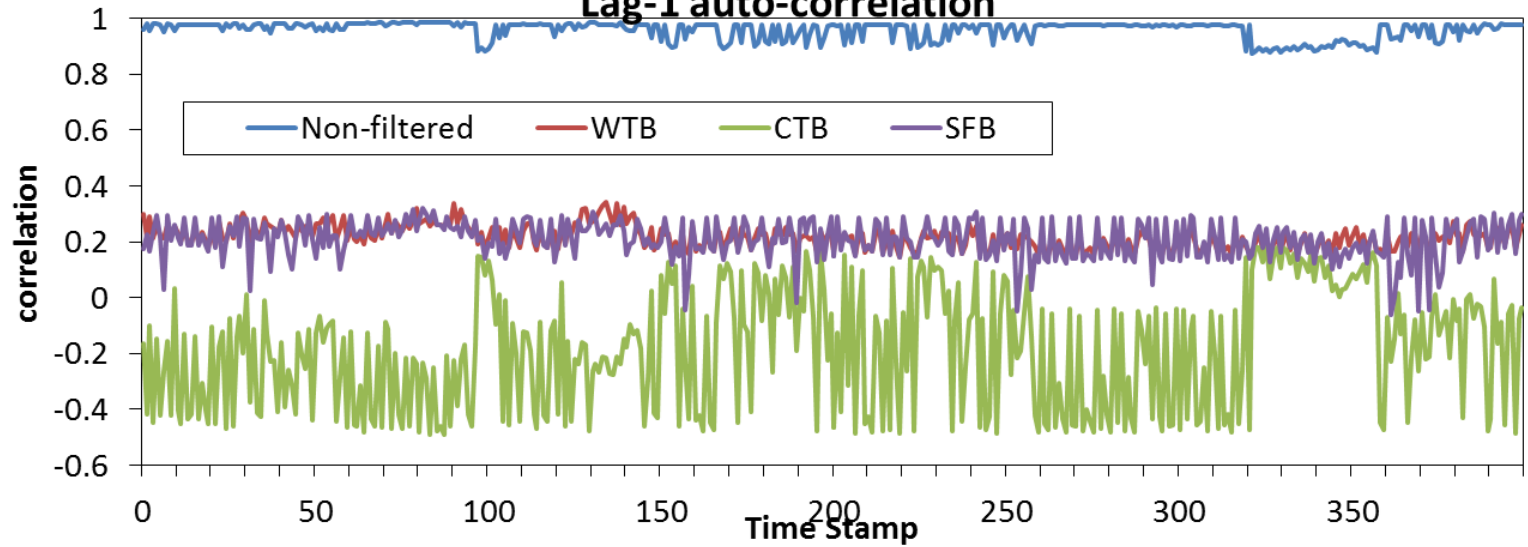


Preliminary results (L = 5)

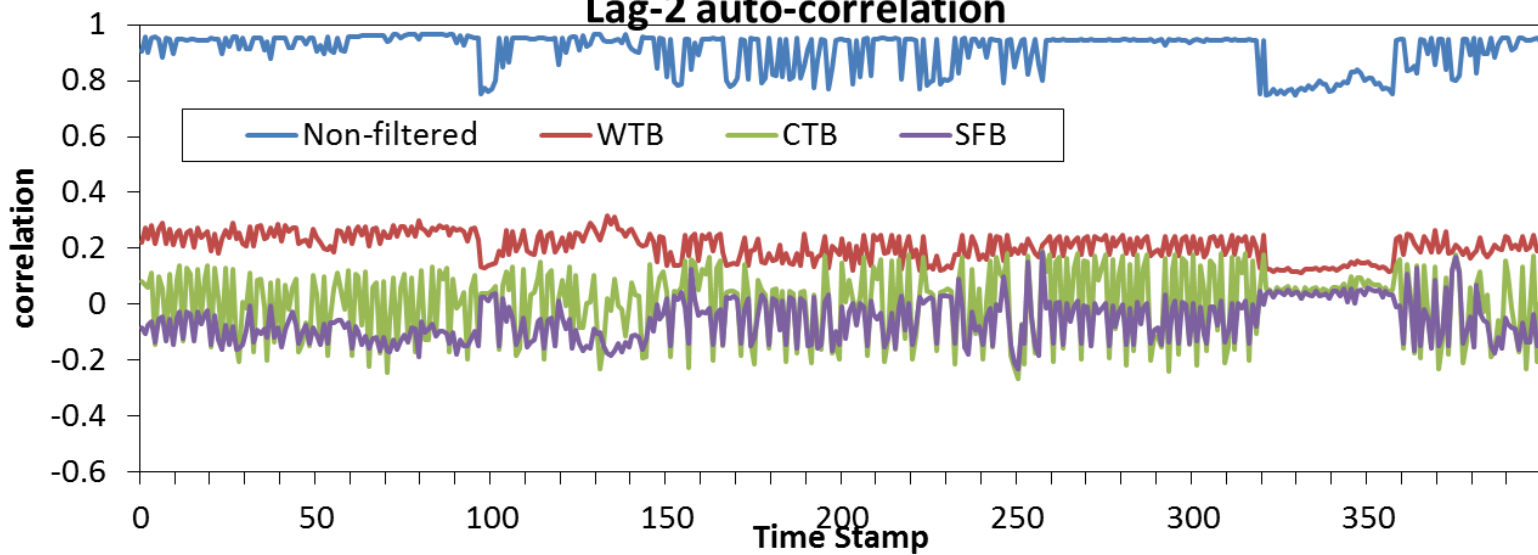


Preliminary results (L = 5)

Lag-1 auto-correlation



Lag-2 auto-correlation



Follow-up Works

- Implementation of Optimal Whitening Transformation technique
- Sensitivity analyses of key parameters (such as oversampling factor) and evaluation of the associated impact on spectral moment estimates and polarimetric variables
- Implementation of de-convolution techniques
- Results validation using ground rain-gauge data

